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Revealing the circumnuclear environment of Centaurus A through high-resolution X-ray spectroscopy of the iron emission line

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The circumnuclear environment of SMBHs

The circumnuclear materials

*broad-line region (BLR), torus..

Connect AGNs and their host galaxies

- Feeding SMBHs
- AGN feedback

The circumnuclear environment of radio galaxies is still uncertain

(e.g., Tazaki et al. 2011,13)

Difference between radio-loud and radio-quiet AGNs



X-ray reverberation mapping

Compare the light curve of direct component and that of iron line

- The direct component comes directory from the X-ray source
- The iron line (~6.4 keV) is emitted from a reflector irradiated by the X-ray source
- The iron line is delayed from the direct component due to the difference in the light travel distance.

The lag of the iron emission line



Target: Centaurus A

Centaurus A (Cen A)

a suitable target to study the structure around the SMBH in radio galaxies.

- the iron line (~6.4 keV) was detected
- observed repeatedly in the X-ray energy range

The origin of the iron line is still an open question.

- Line width (*v*_{FWHM}): 1000–3000 km s⁻¹ (Evans et al. 2004)
- Stable iron line flux

 \gtrsim 10 lt-yr (Fürst et al. 2016)

$\begin{array}{l} \textbf{F}_{\text{the NuSTAR spectra of Cen A}} \\ \textbf{F}_{\text{transformulation}} \\ \textbf{F}_{transformulation} \\ \textbf{F}_{\text{transformulation}} \\$

► 10⁻²-10⁻¹ pc

▶ ≳1pc

Goal: to reveal the origin of the iron line

Comparison of the light curves

Direct component and iron line

The iron line flux dropped between 2013 and 2015



short lag ($\lesssim 1$ year)

The flux variation was suppressed



The light curve of Swift/BAT (Krimm+2013)



The flux of the iron emission line



There seem to be both short-lag and long-lag components

Transfer function

How the flux of iron line respond to the irradiate flux Transfer function $L(t; \mathbf{p}) = \int d\tau \Psi(\tau; \mathbf{p}) C(t - \tau)$ Light curve of the the iron line



Assumed transfer function

double-top-hat function

- Contains short-lag and long-lag components
- transfer function for two spherical shells



Analysis using the the transfer function

Parameters estimation

Fit the convolution to the iron line data



1e-6

- $\tau_1 < 2.8 \times 10^2 \text{ days} \implies < 0.24 \text{ pc}$
- $\tau_2 > 2.1 \times 10^3$ days \rightarrow > 1.8 pc

Since the number of iron line flux data is limited, alternative models can also explain the data

More realistic model

XClumpy-like model

Assume the distribution of the origin of the iron line as follows

• $N(r/r_{in})^{-q} \exp\left(-(\theta - \pi/2)^2/\sigma^2\right) r^2 \sin\theta dr d\theta d\phi$ ($r_{in} < r < r_{out}$)

*Same as the clump distribution in XClumpy (Tanimoto et al. 2019)

•
$$r_{\rm out} = 5 \, {\rm pc}, \, \sigma = 40^{\circ}$$

• Inclination angle $i = 60^{\circ}$

Calculate the transfer function from the distribution

• Short-lag and long-lag components



time (davs)

The limitation of the reverberation mapping

Iron line flux estimation

Both cases with $r_{\rm in} = 1 \times 10^{-2}$ pc and 1×10^{-1} pc consistent with the light curve

X-ray reverberation cannot distinguish between these cases

It is difficult to obtain further constraints on the short-lag component



Since Resolve on XRISM has an energy resolution of < 7 eV, the analysis of the line profile will be the most promising way

Simulation of XRISM iron line profile

Assumption for the iron line origin

- XClumpy-like model
- Keplerian motion

Simulated two cases:

(i)
$$r_{\rm in} = 1 \times 10^{-2} \, \rm pc$$

(ii) $r_{\rm in} = 1 \times 10^{-1} \, {\rm pc}$

Simulation of XRISM observation

The continuum flux is the same as the NuSTAR observation in 2018

Exposure 200 ks





Analysis of the simulated spectra

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Analysis procedure

Fit the XClumpy-like model to the simulated spectra

• Four free parameters: r_{in} , q, s and i

The results

$r_{\rm in}$ (assumed)	r _{in}
(i) 1×10^{-2} pc	$(8.5^{+3.6}_{-2.4}) \times 10^{-3} \text{ pc}$
(ii) 1×10^{-1} pc	$(9.2^{+2.1}_{-0.9}) \times 10^{-2} \text{ pc}$

XRISM observation will enable us to estimate the size of the iron line origin when $r_{in} \sim 10^{-2} - 10^{-1}$ pc

The analysis results of simulated spectra





- X-ray reverberation mapping suggests that the reflection component is originated from the reflectors whose sizes are < 0.24 pc and > 1.8 pc.
- Obtaining additional constraints on the short-lag component through x-ray reverberation mapping is challenging.
- Observation of Cen A with XRISM will enable us to estimate the size of the iron line origin from the line profile, which is particularly sensitive to an inner reflector at $r_{\rm in} \sim 10^{-2}$ - 10^{-1} pc.

Thank you for listening!

Back up

Results of simulated spectra analysis

		r _{in}	q	S	i (degree)
(i)	assumed	$1 \times 10^{-2} \text{ pc}$	2.7	5.3×10^{-3}	60
	results	$(8.5^{+3.6}_{-2.4}) \times 10^{-3} \text{ pc}$	$2.687^{+0.061}_{-0.058}$	$(5.48^{+0.34}_{-0.30}) \times 10^{-3}$	70^{+16}_{-12}
(ii)	assumed	$1 \times 10^{-1} \text{ pc}$	3.2	5.1×10^{-3}	60
	results	$(9.2^{+2.1}_{-0.9}) \times 10^{-2} \text{ pc}$	$3.16^{+0.22}_{-0.14}$	$(5.08^{+0.28}_{-0.25}) \times 10^{-3}$	60^{+16}_{-12}



• Assume the distribution of the origin of the iron line as follows $N(r/r_{in})^{-q} \exp(-(\theta - \pi/2)^2/\sigma^2) r^2 \sin\theta dr d\theta d\phi + (r_{in} < r < r_{out})$



Simulated spectra: gauss



Simulated spectra: gauss (narrow + broad)





Energy (keV)

Energy (keV)

Analysis of the simulated data: 3×10^{-3} pc

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The analysis results of simulated spectra



The results

$r_{ m in}$ (assumed)	r _{in}
(i) 3×10^{-3} pc	$(1.9 \pm 1.0) \times 10^{-3} \text{ pc}$
(ii) $1 \times 10^{-1} \text{ pc}$	$(9.2^{+2.1}_{-0.9}) \times 10^{-2} \text{ pc}$

Analysis of the simulated spectra: 100 ks

Simulated data

Exposure: 100 ks

The analysis results of simulated spectra



The results

$r_{\rm in}$ (assumed)	r _{in}
(i) 1×10^{-2} pc	$(8.2^{+9.7}_{-3.7}) \times 10^{-3} \text{ pc}$
(ii) $1 \times 10^{-1} \text{ pc}$	$(1.01^{+0.49}_{-0.16}) \times 10^{-1} \text{ pc}$